

Department of Civil Engineering
Katihar Engineering College, Katihar

Subject : Introduction to Solid Mechanics

Topic : Shear Centre

Lecture : 04

Course Instructor : Prof. Rashid Mustafa

⇒ SHEAR CENTRE :

Introduction

- i) The theory of simple bending is valid if the section is symmetric about the plane of loading.
- ii) Therefore, the plane of loading contains a principal axis of the beam x -section and loads are perpendicular to one of the symmetrical transverse axis of the beam x -section.
- iii) In such cases the bending takes place without twisting.
- iv) In general cases, where the beam have no axis of symmetry then the loads may induce torsion.

(2)

Shear Centre: Shear centre is that point through which if concentrated load passes then there will be no twisting of the x-section & only bending will occur.

→ It is that point through which resultant shear passes, it is also called centre of flexure.

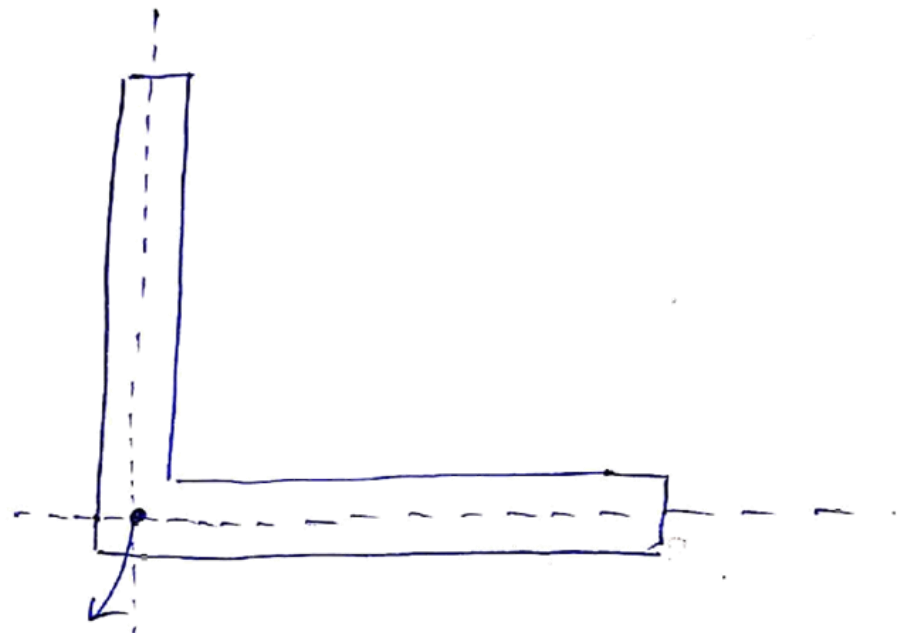
Note: The exact location of the shear centre for an unsymmetrical x-section is very complicated & can be located by inspection only in few cases.

⇒ Thumb Rule to locate Shear Centre:

- I. Shear centre always lies on the axis of symmetry (if existing)
- (ii) If there are more than one axis of symmetry then shear centre will lie on the intersection of symmetrical axis, it means for such x-section, shear centre will coincide with the centroid of the x-section.

(iii) If a section is made up of two narrow rectangles then shear centre will be located on the intersection of axis of symmetry (along greater length) of both the rectangle.

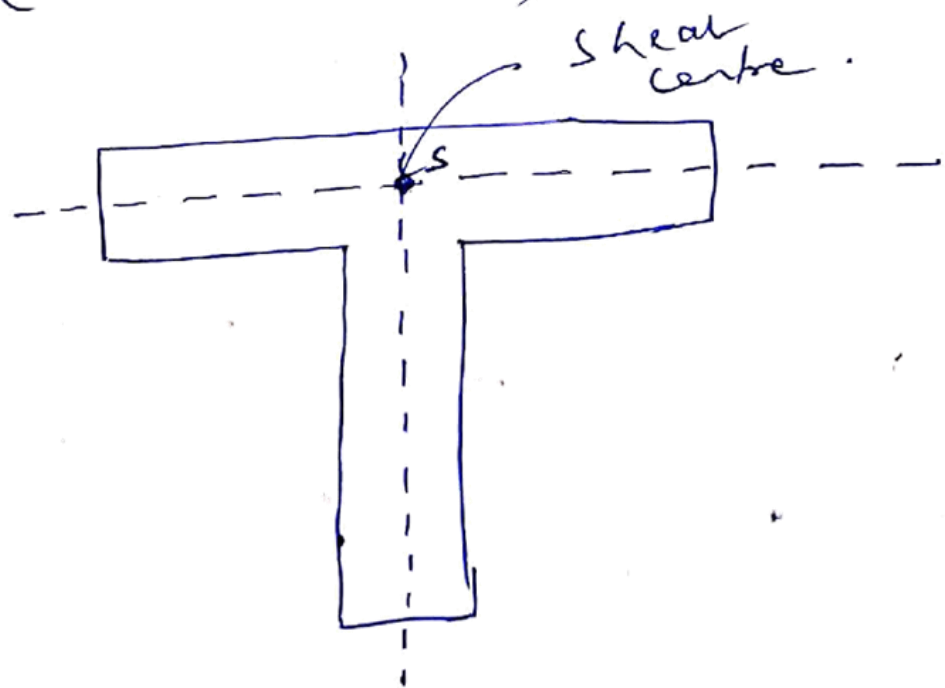
Ex-1



Shear Centre (S)

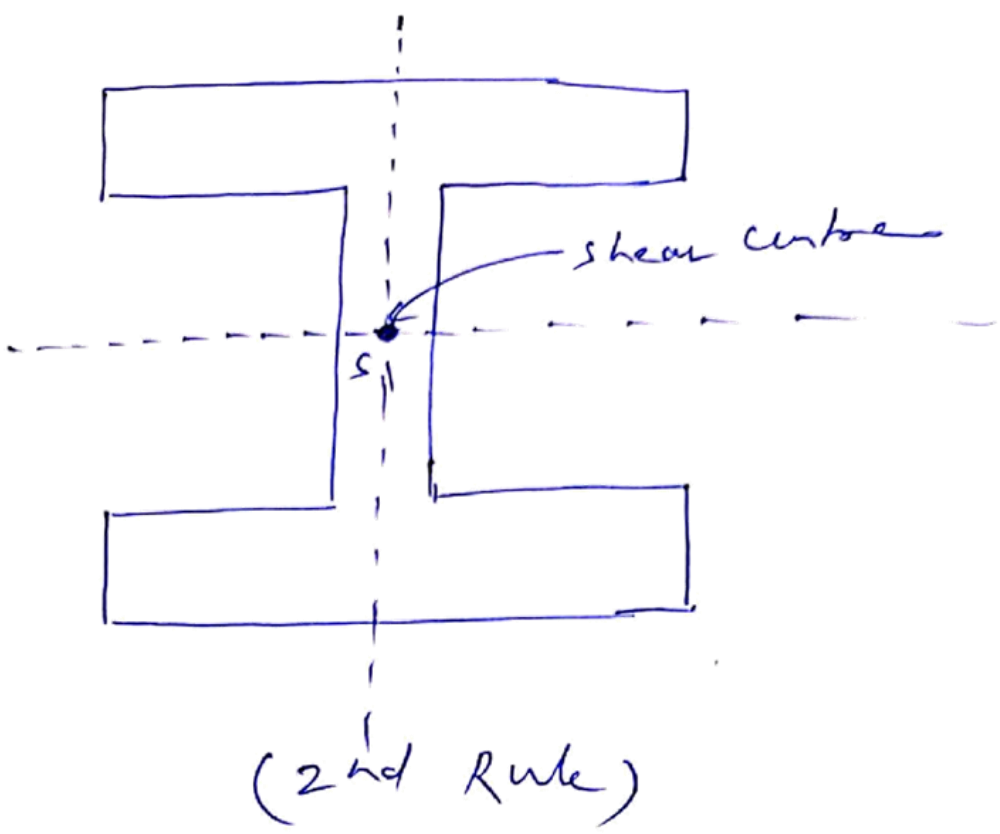
(3rd thumb rule)

Ex-2

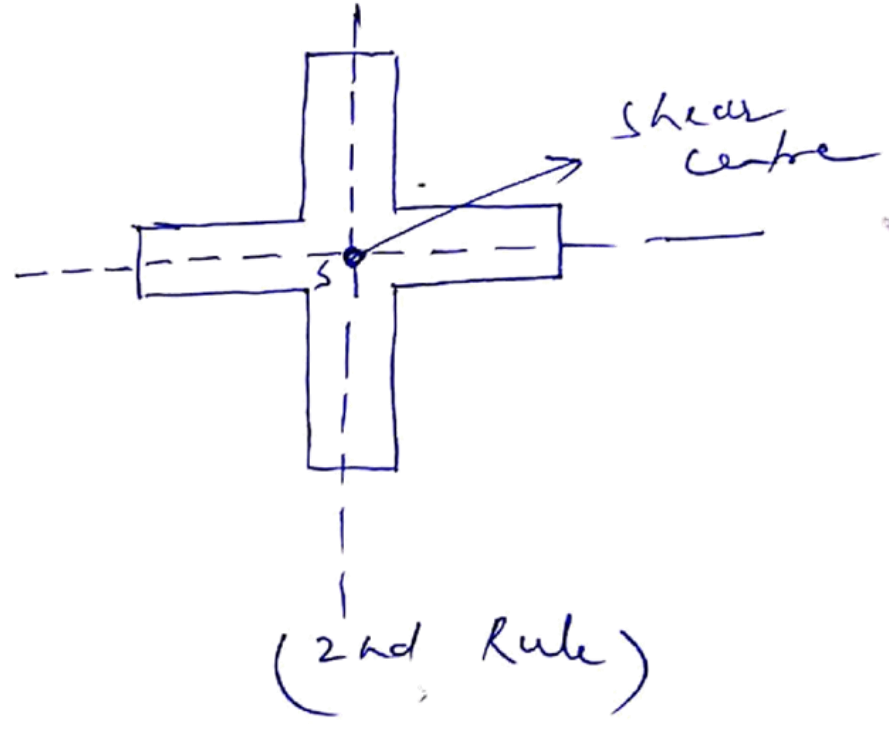


(3rd thumb rule)

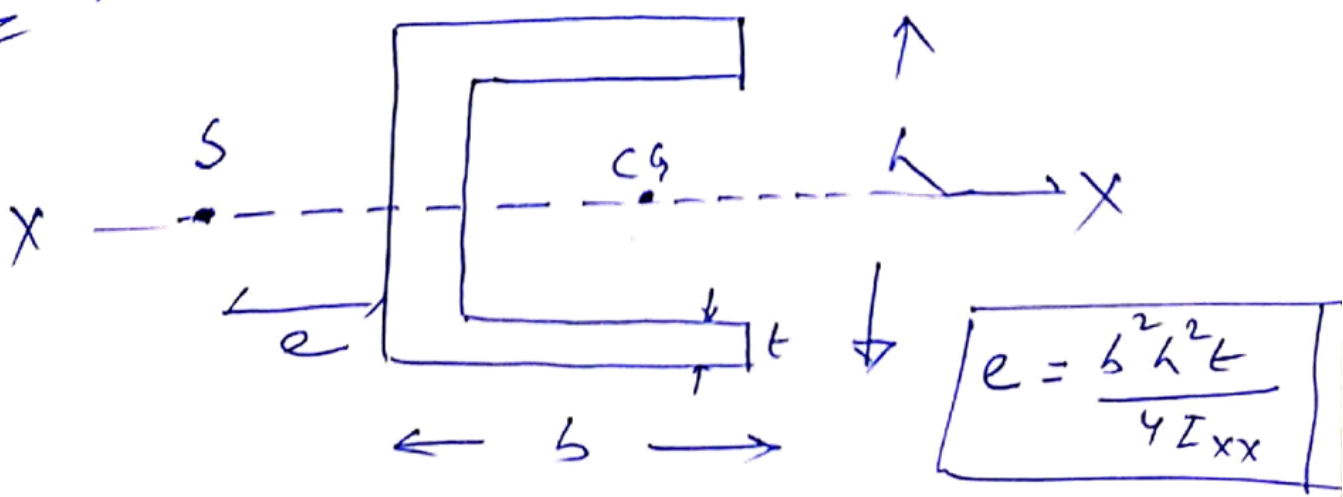
Ex-3



Ex-4



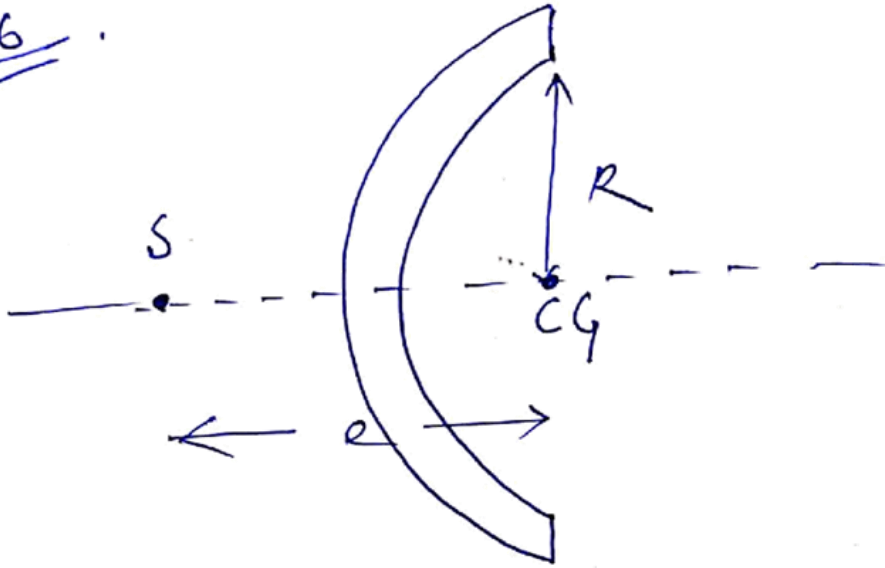
Ex-5



XX \rightarrow Axis of symmetry.

5

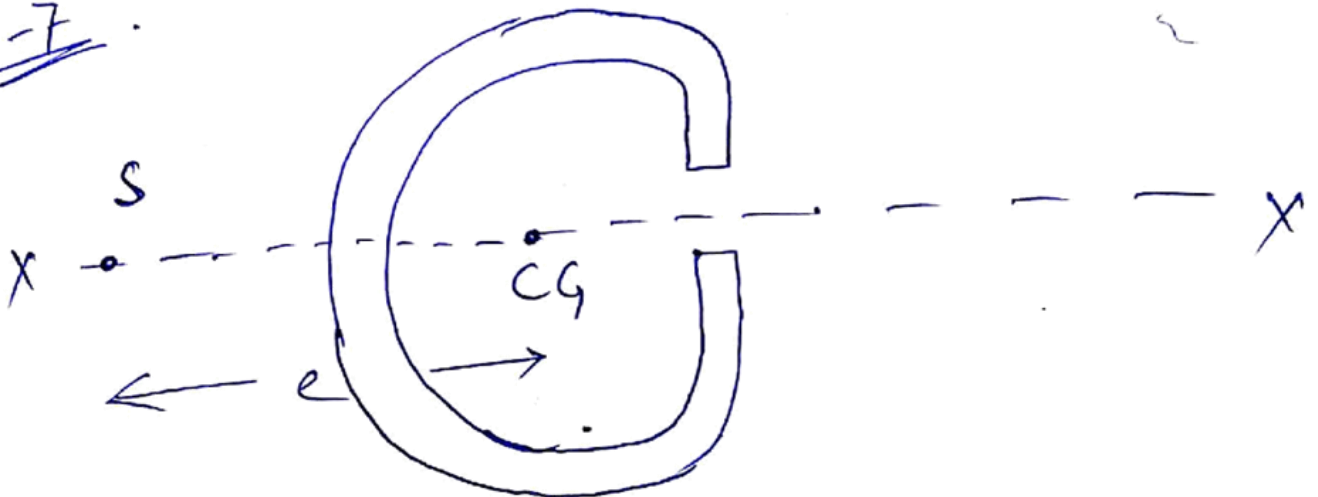
Ex-6



Semi Circular section

$$e = \frac{4R}{\pi} \approx 1.27R$$

Ex-7



(open-slit c/s)

$$(e = 2R)$$

Shear flow (q) : It is defined as shear force per unit length of beam is called shear flow.

→ It is denoted by q.

$$\text{Shear flow (q)} = \frac{F}{\Delta x} = \frac{V \cdot A \bar{y}}{I}$$

$$q = \frac{V \cdot A \cdot \bar{y}}{I}$$

